Lab 10: The Binomial Distribution
Name:

Use the following information to answer the first five exercises. Recently, a nurse in the small town of 'Supafly Rizzle Valley' commented that when a patient calls the medical advice line claiming to have covid-19, the chance that he or she truly has covid-19 (and not just a nasty cold) is only about $20 \%$ (see footnote).

Currently, the hospital where the nurse works is getting about 15 of these type of calls per day, and the local hospital has only 200 unoccupied hospital beds. Of the next 15 patients calling in claiming to have covid-19, we are interested in how many actually have covid-19.
footnote - $20 \%$ is roughly the Worldometer value from $3 / 30 / 20$
total people tested: 944,854 ; total confirmed cases: 161,088

1. Define the random variable and list its possible values.
2. Find the probability that six of the next 15 calls are from people who actually have covid-19.
3. Find the probability that at least four of the 15 calls are from people who actually have covid-19.
4. On average, for every 15 people calling in, how many do you expect to actually have covid-19?
5. At this rate, in about how many days will the hospital be full?
6. A student takes a ten-question true-false quiz, but did not study and randomly guesses each answer. Find the probability that the student passes the quiz with a grade of at least $70 \%$ of the questions correct.

Use the following information to answer the next nine exercises. It has been estimated that only about $30 \%$ of California residents have adequate emergency supplies in the event of a catastrophe such as an major earthquake or pandemic.

Suppose you randomly survey 20 California residents. We are interested in the number who have adequate emergency supplies.
7. In words, define the random variable X .
8. List the values that X may take on.
9. What is the probability that more than eleven California residents in the survey of 20 have adequate emergency supplies?
10. What is the probability that fewer than three California residents in the survey of 20 have adequate emergency supplies?
11. What is the probability that between two and five have adequate emergency supplies?
12. Find $\mathrm{P}(6)$
13. Find $P(3 \leq x \leq 5)$
14. Is it more likely that none or that all of the residents surveyed will have adequate emergency supplies? Why?
15. How many residents do you expect will have adequate emergency supplies?

Table 4 Binomial Probability Distribution $C_{n, r} p^{r} q^{n-r}$
This table shows the probability of $r$ successes in $n$ independent trials, each with probability of success $p$.


## Table 4 continued



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